

1. Elena works a part-time job after school to earn money for a summer vacation. She is paid a constant rate for each hour she works. The table shows the amounts of money that Elena earned for various amounts of time that she worked.

- A. What are the dependent and independent quantities in this problem situation?

Independent: Time worked

Dependent: Amount earned

	IQ	DQ
	Time Worked	Amount Earned
Units	Hours	Dollars
	2.5	22.50
	3	27.00
	3.5	31.50
	4.5 $\times 9$	40.50
	5	45.00
	6	54.00
Expression	$t$	$9t$

- B. Calculate the unit rate of change for the problem situation.

$$\frac{27 - 22.5}{3 - 2.5} = \frac{4.5}{0.5} = 9$$

$(2.5, 22.50)$   $(3, 27.00)$   
 $x_1, y_1$   $x_2, y_2$

- C. Complete the table by filling in the blanks.

See table

- D. Determine the amount of money that Elena earns for working 7.5 hours.

$9(7.5) = 67.50$  Elena earns \$67.50 for working 7.5 hours.

2. Malik received a \$300 gift card from his grandparents to pay for his karate lessons, which cost \$30 per month.

- A. Write a function that describes the amount of money on the card,  $d(t)$ , in dollars after  $t$  months.

$$d(t) = -30t + 300$$

- B. Draw a graph of the function that you wrote in part A. Label your axes.

See graph.

- C. Use the graph to estimate when there will be \$60 left on the gift card.

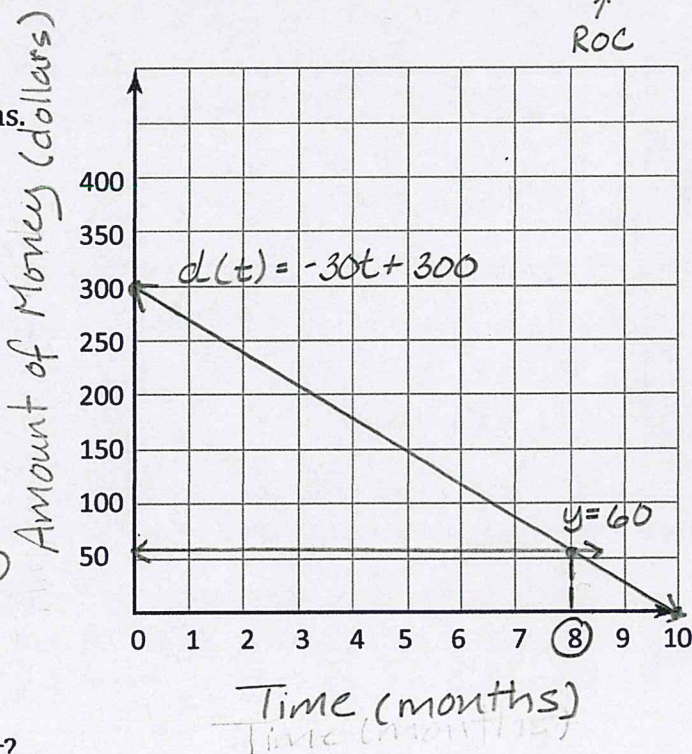
8 months

- D. Use your function to determine exactly when there will be \$60 remaining on the card.

$$d(t) = 60 \quad 60 = -30t + 300$$

$$-240 = -30t$$

$$8 = t$$



- E. What is the y-intercept? What does it represent?

y-intercept = 300. It is the initial amount on the gift card

Solve each equation. *Combine like terms.*

$$\begin{aligned}
 3. \quad 4m + 2m &= 3m - 9 \\
 6m &= 3m - 9 \\
 \frac{-3m}{3} & \quad \frac{-3m}{3} \\
 \hline
 3m &= -9 \\
 \frac{3}{3} & \quad \frac{3}{3} \\
 m &= -3
 \end{aligned}$$

$$\begin{aligned}
 4. \quad 3(x-4) &= 2x + 6x - 9 \\
 3x - 12 &= 8x - 9 \\
 \frac{-8x}{-5x - 12} & \quad \frac{-8x}{-8x} \\
 \hline
 -5x - 12 &= -9 \\
 +12 & \quad +12 \\
 \hline
 -5x &= 3 \\
 \frac{-5x}{-5} &= \frac{3}{-5} \quad x = \frac{-3}{5}
 \end{aligned}$$

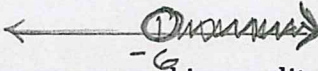
$$\begin{aligned}
 5. \quad \frac{1}{2}(2x+8) &= 30 \\
 x + 4 &= 30 \\
 \frac{-4}{-4} & \quad \frac{-4}{-4} \\
 \hline
 x &= 26
 \end{aligned}$$

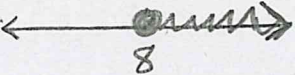
Evaluate the function  $f(x) = -5.89x + 6.357$  for each value. Round to the 100ths place if necessary.

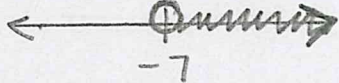
$$\begin{aligned}
 6. \quad f(2.85) &= -5.89(2.85) + 6.357 \\
 &= -16.7865 + 6.357 \\
 &= -10.4295 \approx -10.43
 \end{aligned}$$

$$\begin{aligned}
 7. \quad f(-4) &= -5.89(-4) + 6.357 \\
 &= 23.56 + 6.357 \\
 &= 29.917 \approx 29.92
 \end{aligned}$$

Solve each inequality. Then, graph on a number line.

$$\begin{aligned}
 8. \quad 4k + 21 &> -3 \\
 \frac{-21}{4} & \quad \frac{-21}{4} \\
 \hline
 4k &> -24 \\
 \frac{4k}{4} & \quad \frac{4}{4} \\
 k &> -6
 \end{aligned}$$


$$\begin{aligned}
 9. \quad a + 2(a-12) &\geq 0 \\
 a + 2a - 24 &\geq 0 \\
 3a - 24 &\geq 0 \\
 \frac{+24}{3} & \quad \frac{+24}{3} \\
 \hline
 3a &\geq 24 \\
 \frac{3a}{3} & \quad \frac{24}{3} \\
 a &\geq 8
 \end{aligned}$$


$$\begin{aligned}
 10. \quad -5x - 7 &< 28 \\
 \frac{+7}{-5} & \quad \frac{+7}{-5} \\
 \hline
 -5x &< 35 \\
 \frac{-5x}{-5} & \quad \frac{35}{-5} \quad \text{Flip!} \\
 x &> -7
 \end{aligned}$$


Write a compound inequality to represent each graph.

$$\begin{aligned}
 11. \quad & \leftarrow \text{---} \bullet \text{---} \bullet \text{---} \rightarrow \\
 & \quad \quad \quad -5 \quad -4 \quad -3 \quad -2 \quad -1 \quad 0 \quad 1 \quad 2 \quad 3 \quad 4 \quad 5
 \end{aligned}$$

$$-4 \leq x < 2$$


$$\begin{aligned}
 12. \quad & \leftarrow \text{---} \circ \text{---} \bullet \text{---} \rightarrow \\
 & \quad \quad \quad -5 \quad -4 \quad -3 \quad -2 \quad -1 \quad 0 \quad 1 \quad 2 \quad 3 \quad 4 \quad 5
 \end{aligned}$$

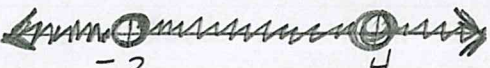
$$x < -3 \text{ or } x \geq 1$$

Solve each compound inequality. Graph your solution.

$$\begin{aligned}
 13. \quad 5 < w + 7 < 11 \quad \text{"AND"} \\
 \frac{-7}{-2} & \quad \frac{-7}{-2} \quad \frac{-7}{-2} \\
 -2 & < w < 4
 \end{aligned}$$

$$\begin{aligned}
 14. \quad x - 2 < -12 \text{ or } 2x + 3 > 7 \quad \text{"OR"} \\
 \frac{+2}{x} & < \frac{-12}{-10} \quad \frac{-3}{2x} > \frac{7}{4} \\
 x & < -10 \quad 2x > 4 \\
 & & \frac{2x}{2} > \frac{4}{2} \\
 & & x > 2
 \end{aligned}$$

$$\begin{aligned}
 15. \quad 7 \leq 3 - 2p < 11 \quad \text{"AND"} \\
 \frac{-3}{-2} & \quad \frac{-3}{-2} \quad \frac{-3}{-2} \\
 4 & \leq -2p < 8 \quad \text{Flip!} \\
 \frac{-2}{-2} & \quad \frac{-2}{-2} \quad \frac{-2}{-2} \\
 -2 & \geq p > -4 \\
 -4 & < p \leq -2
 \end{aligned}$$


$$\begin{aligned}
 16. \quad \frac{x}{4} - 2 < -1 \text{ or } -3x + 1 < 10 \quad \text{"OR"} \\
 \frac{+2}{\frac{x}{4}} & < \frac{-1}{-3} \quad \frac{-1}{-3x} < \frac{10}{-3} \\
 \frac{x}{4} & < 1(4) \quad -3x < 9 \\
 x & < 4 \quad x > -3
 \end{aligned}$$


Define a variable and write an inequality to model the situation.

17. The maximum occupancy of a theater is 300 people.

$x = \# \text{ of people}$        $x \leq 300$

18. Today's temperature if the high is 74 and the low is 53.

$t = \text{today's temperature}$        $53 \leq t \leq 74$

Write an inequality and solve for each of the following.

19. An elevator can safely lift at most 4400 lbs. A concrete block has an average weight of 42 lbs. What is the maximum number of concrete blocks that the elevator can lift?

$x = \# \text{ of concrete blocks}$        $\frac{42x}{42} \leq \frac{4400}{42}$       The maximum # of concrete blocks the elevator can lift is 104.

$x \leq 104.76$   
Round down!

20. What is the greatest number of 34¢ stamps you can buy for \$5.00?

$x = \# \text{ of stamps}$        $\frac{0.34x}{0.34} \leq \frac{5.00}{0.34}$       The greatest # of stamps you can buy for \$5.00 is 14.

$x \leq 14.7$  Round down!

21. Michael works at the ticket booth of a local playhouse. On the opening night of the play, tickets are \$10 each. The playhouse has already sold \$500 worth of tickets during a presale. The function  $f(x) = 10x + 500$  represents the total sales as a function of tickets sold on opening night.

- A. How many tickets can Michael sell and make no more than \$1000?

$10x + 500 \leq 1000$   
 $10x \leq 500$   
 $x \leq 50$       50 tickets

- B. Draw a line at  $y = 1000$ .

See graph

- C. Find the point-of-intersection with the graph of the function.

$(50, 1000)$

- D. Draw a vertical line from the point-of-intersection to the x-axis. How many tickets can Michael sell to make more than \$1000?

$x > 50$

- E. How many tickets must Michael sell to make at least \$1400? Write an inequality to describe your answer.

$10x + 500 \geq 1400$  ✓      You may also solve using the graph.  
 $10x \geq 900$   
 $x \geq 90$

- F. How much money will Michael make if he sells exactly 70 tickets?

$x = 70$        $f(70) = 10(70) + 500$       He will make \$1200.      You can also solve using the graph.  
 $= 700 + 500 = 1200$       \$1200.

