## Solve by Graphing

Solve each system of linear equations by graphing. Write the equations in slope-intercept form. If system has a solution, then name at least one ordered pair (x, y). If there is no solution, state why.





## Break-Even Points

In the business world, the "break-even point" is the point at which income equals expenses. Solve a system of equations to find the "break-even point" for a business.

6) Suppose a club publishes a newsletter. Expenses are \$.50 for printing and mailing each copy, plus \$300 total for research and writing. The price of the newsletter is \$2.00 per copy. How many copies of the newletter must the club sell to break-even?

Define the variables:

 $x = \frac{\# \text{ of newsletter copies}}{y = \text{ total cost or total income}}$ 

Write an equation representing the expense/cost of publishing the newsletter: y = 0.5x + 300

Write an equation representing the money earned/income from selling the newsletter: y = 2x\_\_\_\_\_\_

Set the two equations equal to each other to find the "break-even point".

$$0.5x + 300 = 2x \qquad \frac{300}{1.5} = \frac{1.5}{1.5}x$$
  
$$\frac{-0.5x}{-0.5x} = 200 = x$$

The club needs to sell 200 copies of its newsletter to "break-even".

7) Suppose another club publishes a newsletter. Expenses are \$.80 for printing and mailing each copy, plus \$120 total for research and writing. The newsletter costs \$1 per copy. How many copies of the newsletter must the club sell to break-even?

Define the variables:

- x = <u># of newsletter copies</u>\_\_\_\_\_
- *y* = <u>total cost or total income</u>

Write an equation representing the expense/cost of publishing the newsletter: y = 0.8x + 120Write an equation representing the money earned/income from selling the newsletter: y = 1x

- Set the two equations equal to each other to find the "break-even point".
  - $0.8x + 120 = 1x \qquad \frac{120}{0.2} = \frac{0.2}{0.2}x$  $- 0.8x - 0.8x \qquad 600 = x$ 120 = 0.2x

The club needs to sell 600 copies of its newsletter to "break-even".