

Graphs are often used in Social Studies (bar graph, histogram) to help you better understand what's happening with the data.

The graphs that we will look at today are drawn in a coordinate plane or grid. While the graphs that we look at today have points that are connected by a line or a curve, this is not always the case. Graphs are called continuous when all the points are connected. This occurs when data is measured.

Let's look at each of the graphs on the guided notes and try to determine which of the 8 scenarios are being modeled on the coordinate plane. We will have to consider each situation and interpret the meaning of the data values shown.

Understanding Quantities and Their Relationships

Graphs give you a visual perspective. They help you understand the relationship between independent (x) and dependent (y) quantities →

Problem 2 - Matching Graphs and Scenarios

Scenario	Function Family	Sketch of the Mathematical Model Label the x- and y-axes with the quantity and unit measure.	Graphical Behavior	
			Increasing, Decreasing, Constant, or Combination?	Absolute Minimum or Absolute Maximum?
Music Club	Linear	<p>Graph A</p> <p>(dependent) Cost (dollars)</p> <p># of songs x-axis (independent)</p>	Increasing	None
Smart Phone, but is it a Smart Deal?	Exponential	<p>Graph B</p> <p>Interest (dollars)</p> <p>Time (weeks)</p> <p>Rate of change varies</p> <p>Interest doubles so growth is exponential.</p> <p>Gets close to 0 but never intersects the x-axis.</p>	Increasing	None
Jelly Bean Challenge	Absolute Value	<p>Graph C</p> <p># of jelly beans the guess is off by</p> <p># of jelly beans guessed</p> <p>Minimum</p> <p>some people guess less</p> <p>some people guess more</p>	Decreasing, then Increasing	Minimum # of jelly beans guessed = # of jelly beans in the jar.
It's Magic	Exponential	<p>Graph D</p> <p>Length of each piece of rope (feet)</p> <p># of cuts</p> <p>Downhill</p> <p>The rope is cut in 1/2 each time so growth is exponential.</p>	Decreasing	None

All graphs are continuous because data is measured.

A Trip to School	Linear Piecewise	<p>Graph E</p> <p>Distance Traveled (miles)</p> <p>Time (minutes)</p>	Combination Increasing, Constant, and Increasing	None
Baton Twirling	Quadratic	<p>Graph F</p> <p>Baton Height (feet)</p> <p>Time (seconds)</p> <p>Maximum</p> <p>parabola upside U</p> <p>rate of change varies</p> <p>up</p> <p>down</p> <p>Why don't we start at 0? Take into account Jill's height</p>	Increasing, then Decreasing	Maximum The maximum height the baton reaches
Can't wait to Hit the Slopes!	Linear Piecewise	<p>Graph G</p> <p>Distance (feet)</p> <p>Time (minutes)</p> <p>ski lift stops</p>	Combination Increasing, constant, then Increasing	None
Something's Fishy	Linear	<p>Graph H</p> <p>water (gallons)</p> <p>Time (minutes)</p> <p>constant rate</p> <p>rate of change = $\frac{\Delta y}{\Delta x} = \frac{\text{gallons}}{\text{time}}$</p> <p>As time passes, water drains out</p> <p>starting point 20 gal.</p>	Decreasing	None